# Symbol Table 

# ALSU Textbook Chapter 2.7 and 6.5 

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## Definition

- Symbol table: A data structure used by a compiler to keep track of semantics of names.
- Data type.
- When is used: scope.
$\triangleright$ The effective context where a name is valid.
- Where it is stored: storage address.
- Operations:
- Find: whether a name has been used.
- Insert: add a name.
- Delete: remove a name when its scope is closed.


## Some possible implementations

- Unordered list:
$\triangleright$ for a very small set of variables;
$\triangleright$ coding is easy, but performance is bad for large number of variables.
- Ordered linear list:
$\triangleright$ use binary search;
$\triangleright$ insertion and deletion are expensive;
$\triangleright$ coding is relatively easy.
- Binary search tree:
$\triangleright O(\log n)$ time per operation (search, insert or delete) for $n$ variables;
$\triangleright$ coding is relatively difficult.
- Hash table:
$\triangleright$ most commonly used;
$\triangleright$ very efficient provided the memory space is adequately larger than the number of variables;
$\triangleright$ performance maybe bad if unlucky or the table is saturated;
$\triangleright$ coding is not too difficult.


## Hash table

- Hash function $h(n)$ : returns a value from $0, \ldots, m-1$, where $n$ is the input name and $m$ is the hash table size.
- Uniformly and randomly.
- Many possible good designs.
- Add up the integer values of characters in a name and then take the remainder of it divided by $m$.
- Add up a linear combination of integer values of characters in a name, and then take the remainder of it divided by $m$.
- Resolving collisions:
- Linear resolution: try $(h(n)+1) \bmod m$, where $m$ is a large prime number, and then $(h(n)+2) \bmod m, \ldots,(h(n)+i) \bmod m$.
- Chaining: most popular.
$\triangleright$ Keep a chain on the items with the same hash value.
- Quadratic-rehashing:

```
try}(h(n)+\mp@subsup{1}{}{2})\operatorname{mod}m\mathrm{ , and then
|try}(h(n)+\mp@subsup{2}{}{2})\operatorname{mod}m\mathrm{ , and then
D ...
\triangleright \mp@code { t r y } ( h ( n ) + i ^ { 2 } ) \operatorname { m o d } m .
```


## Performance of hash table

- Performance issues on using different collision resolution schemes.
- Hash table size must be adequately larger than the maximum number of possible entries.
- Frequently used variables should be distinct.
- Keywords or reserved words.
- Short names, e.g., $i, j$ and $k$.
- Frequently used identifiers, e.g., main.
- Uniformly distributed.


## Contents in a symbol table

- Possible entries in a symbol table:
- Name: a string.
- Attribute:
$\triangleright$ Reserved word
- Variable name
$\triangleright$ Type name
$\triangleright$ Procedure name
$\triangleright$ Constant name
$\triangleright$..
- Data type.
- Storage allocation, size, ...
- Scope information: where and when it can be used.
- . . .


## How names are stored

- Fixed-length name: allocate a fixed space for each name allocated.
- Too little: names must be short.
- Too much: waste a lot of spaces.

| NAME |  |  |  |  |  |  |  |  | ATTRIBUTES | STORAGE ADDR | $\ldots$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{s}$ | $\mathbf{0}$ | $\mathbf{r}$ | $\mathbf{t}$ |  |  |  |  |  |  |  |  |  |
| $\mathbf{a}$ |  |  |  |  |  |  |  |  |  |  |  |  |
| $\mathbf{r}$ | $\mathbf{e}$ | $\mathbf{a}$ | $\mathbf{d}$ | $\mathbf{a}$ | $\mathbf{r}$ | $\mathbf{r}$ | $\mathbf{a}$ | $\mathbf{y}$ |  |  |  |  |
| $\mathbf{i}$ | 2 |  |  |  |  |  |  |  |  |  |  |  |

Variable-length name:

- A string of space is used to store all names.
- For each name, store the length and starting index of each name.



## Handling block structures

- Nested blocks mean nested scopes.
- Two major ways for implementation:
- Approach 1: multiple symbol tables in one stack.
- Approach 2: one symbol table with chaining.


## Sample code: block structure

```
main() /* C code */
{ /* open a new scope */
    int H,A,L; /* parse point A */
    { /* open another new scope */
        float x,y,H; /* parse point B */
        /* x and y can only be used here */
        /* H used here is float */
    } /* close an old scope */
    /* H used here is integer */
    { char A,C,M; /* parse point C */
    /* A used here is char */
    }
}
```


## Multiple symbol tables in one stack

- An individual symbol table for each scope.
- Use a stack to maintain the current scope.
- Search top of stack first.
- If not found, search the next one in the stack.
- Use the first one matched.
- Note: a popped scope can be destroyed in a one-pass compiler, but it must be saved in a multi-pass compiler.
main()

```
{ /* open a new scope */
    int H,A,L; /* parse point A */
    { /* open another new scope */
        float x,y,H; /* parse point B */
        /* x and y can only be used here */
        /* H used here is float */
    } /* close an old scope */
    /* H used here is integer */
    { char A,C,M; /* parse point C */
    }
}
```


## Pros and cons for multiple symbol tables

- Advantage:
- Easy to close a scope.
- Disadvantage: Difficulties encountered when a new scope is opened
- Need to allocate adequate amount of entries for each symbol table if it is a hash table.
$\triangleright$ Waste lots of spaces.
$\triangleright$ A block within a procedure does not usually have many local variables.
$\triangleright$ There may have many global variables, and many local variables when a procedure is entered.


## One symbol table with chaining (1/2)

- A single global table marked with the scope information.
$\triangleright$ Each scope is given a unique
scope number.
$\triangleright$ Incorporate the scope number into the symbol table.
- Two possible codings (among others):
- Hash table with chaining.



## One symbol table with chaining (2/2)

- A second coding choice:
- Binary search tree with chaining.
$\triangleright$ Use a doubly linked list to chain all entries with the same name.

```
main()
{ /* open a new scope */
    int H,A,L; /* parse point A */
    { /* open another new scope */
        float x,y,H; /* parse point B */
            /* x and y can only be used here */
            /* H used here is float */
    } /* close an old scope */
    /* H used here is integer */
    { char A,C,M; /* parse point C */
    }
}
```


## Pros and cons for a unique symbol table

- Advantage:
- Does not waste spaces.
- Little overhead in opening a scope.
- Disadvantage: It is difficult to close a scope.
- Need to maintain a list of entries in the same scope.
- Using this list to close a scope and to reactive it for the second pass if needed.


## Records and fields

- The "with" construct in PASCAL can be considered an additional scope rule.
- Field names are visible in the scope that surrounds the record declaration.
- Field names need only to be unique within the record.
- Another example is the "using namespace" directive in $\mathrm{C}++$.
- Example (PASCAL code):

```
A, R: record
    A: integer
    X: record
        A: real;
        C: boolean;
        end
    end
R.A := 3; /* means R.A := 3; */
with R do
    A := 4; /* means R.A := 4; */
```


## Implementation of field names

- Two choices for handling field names:
- Allocate a symbol table for each record type used.

- Associate a record number within the field names.
$\triangleright$ Assign record number $\# 0$ to names that are not in records.
$\triangleright$ A bit time consuming in searching the symbol table.
$\triangleright$ Similar to the scope numbering technique.


## Locating field names

- Example:

```
with R do
begin
    A := 3;
    with X do
        A := 3.3
end
```

- If each record (each scope) has its own symbol table,
- then push the symbol table for the record onto the stack.
- If the record number technique is used,
- then keep a stack containing the current record number;
- During searching, succeed only if it matches the name and the current record number.
- If fail, then use next record number in the stack as the current record number and continue to search.
- If everything fails, search the normal main symbol table.


## Overloading (1/3)

- A symbol may, depending on context, have more than one semantics.
- Examples.
- operators:

$$
\begin{aligned}
& \triangleright I:=I+3 \\
& \triangleright X:=Y+1.2
\end{aligned}
$$

- function call return value and recursive function call:
$\triangleright f:=f+1 ;$


## Overloading (2/3)

## - Implementation:

- Link together all possible definitions of an overloading name.
- Call this an overloading chain.
- Whenever a name that can be overloaded is defined:
$\triangleright$ if the name is already in the current scope, then add the new definition in the overloading chain;
$\triangleright$ if it is not already there, then enter the name in the current scope, and link the new entry to any existing definitions;
$\triangleright$ search the chain for an appropriate one, depending on the context.
- Whenever a scope is closed, delete the overloading definitions defined in this scope from the head of the chain.


## Overloading (3/3)

- Example: PASCAL function name and return variable.
- Within the function body, the two definitions are chained.
$\triangleright$ i.e., function call and return variable.
- When the function body is closed, the return variable definition disappears.

```
[PASCAL]
function f: integer;
begin
    if global > 1 then f := f +1;
    return
end
```


## Forward reference

- Definition:
- A name that is used before its definition is given.
- To allow mutually referenced and linked data types, names can sometimes be used before that are declared.
- Possible implementations:
- Multi-pass compiler.
- Back-patching.
$\triangleright$ Avoid resolving a symbol until all possible places where symbols can be declared have been seen.
$\triangleright$ In C, ADA and languages commonly used today, the scope of a declaration extends only from the point of declaration to the end of the containing scope.
- If names must be defined before their usages, then one-pass compiler with normal symbol table techniques suffices.
- Some possible usages for forward referencing:
- GOTO labels.
- Recursively defined pointer types.
- Mutually or recursively called procedures.


## GOTO labels

- Some language like C uses labels without declarations.
- Implicit declaration.
- Example:

```
[C]
L0:
goto LO;
goto L1;
L1:
```


## Recursively defined pointer types

- Determine the element type if possible;
- Chaining together all references to unknown type names until the end of the type declaration;
- All type names can then be looked up and resolved.
- Names that are unable to resolved are undeclared type names.
- Example:

```
[PASCAL]
type link = ^ cell;
cell = record
        info: integer;
        next: link;
    end;
```


## Mutually or recursively called procedures

- Need to know the specification of a procedure before its definition.
- Some languages require prototype definitions.
- Example:

```
procedure A()
{
    call B();
}
procedure B()
{
    call A();
}
```


## Type equivalent and others

- How to determine whether two types are equivalent?
- Structural equivalence.
$\triangleright$ Express a type definition via a directed graph where nodes are the elements and edges are the containing information.
$\triangleright$ Two types are equivalent if and only if their structures (labeled graphs) are the same.
$\triangleright$ A difficult job for compilers.

- Name equivalence.
$\triangleright$ Two types are equivalent if and only if their names are the same.
$\triangleright$ An easy job for compilers, but the coding takes more time.
- Symbol table is needed during compilation, and might also be needed during debugging.


## Usage of symbol table with YACC

- Define symbol table routines:
- lookup(name,scope): check whether a name within a particular scope is currently in the symbol table or not.
$\triangleright$ Return "not found" or
$\triangleright$ an entry in the symbol table;
- enter(name,scope)
$\triangleright$ Return the newly created entry.
- For interpreters:
- Use the attributes associated with the symbols to hold temporary values.
- Use a structure with maybe some unions to record all attributes. struct YYSTYPE \{
char type; /* data type of a variable */
int value;
int addr;
char * namelist; /* list of names */
char * name; /* id name */
\}


## YACC coding: declaration I

- Declaration:
- $D \rightarrow L V$
$\triangleright$ \{use lookup to check whether \$2.name has been declared;
$\triangleright$ use enter to insert \$2.name with the type \$1.type;
$\triangleright$ allocate sizeof(\$1.type) bytes;
$\triangleright$ record the storage address in the symbol table entry;
$\triangleright$ \$\$.type $=$ \$1.type; $\}$
- $L \rightarrow L V$,
$\triangleright$ \{use lookup to check whether \$2.name has been declared;
$\triangleright$ use enter to insert $\$ 2$.name with the type \$1.type;
$\triangleright$ allocate sizeof(\$1.type) bytes;
$\triangleright$ record the storage address in the symbol table entry;
$\triangleright$ \$\$.type $=$ \$1.type; $\}$
| $T$
$\triangleright$ \{\$\$.type $=\$ 1$. type; $\}$
- $V \rightarrow i d$
$\triangleright$ \{save yytext into \$\$.name;\}
- $T \rightarrow i n t$
$\triangleright\{\$ \$ . t y p e=i n t ;\}$


## Grammar I

- Grammar I: using only simple synthesized attributes
$\triangleright D \rightarrow L V$
$\triangleright L \rightarrow L V, \mid T$
$\triangleright V \rightarrow i d$
$\triangleright T \rightarrow$ int
- Input: int i,j
$\triangleright$ right most derivation
$\triangleright D \Longrightarrow L V \Longrightarrow L j \Longrightarrow L V, j \Longrightarrow L i, j \Longrightarrow T i, j \Longrightarrow$ int $i, j$

1. Known the type is integer
2. Pass the type to the parent node
3. Save the name "i"
4. Symbol table processing for " $i$ "
5. Save the name " $j$ "
6. Symbol table processing for " j "


## YACC coding: declaration II

- Declaration:
- $D \rightarrow T L$
$\triangleright$ \{use lookup to check each name in the list \$2.namelist for possible duplicated names;
$\triangleright$ if it is not duplicated, then use enter to insert each name in the list \$2.namelist with the type \$1.type;
$\triangleright$ allocate sizeof(\$1.type) bytes;
$\triangleright$ record the storage address in the symbol table entry;\}
- $T \rightarrow i n t$
$\triangleright$ \{\$\$.type $=$ int; $\}$
- $L \rightarrow L, V$
$\triangleright$ \{append the new name \$3.name into the list \$1.namelist;
$\triangleright$ return \$\$.namelist as \$1.namelist;\}
| V
$\triangleright$ \{the variable name is in \$1.name;
$\triangleright$ create a list of one name, i.e., \$1.name, \$\$.namelist; \}
- $V \rightarrow i d$
$\triangleright$ \{save yytext into \$\$.name;\}


## Grammar II

- Grammar II: using a list of names
$\triangleright D \rightarrow T L$
$\triangleright L \rightarrow L, V \mid V$
$\triangleright V \rightarrow i d$
- $T \rightarrow i n t$
- Input:
int $\mathbf{i}, \mathbf{j}$
$\triangleright$ right most derivation
$\triangleright D \Longrightarrow T L \Longrightarrow T L, V \Longrightarrow T L, j \Longrightarrow T V, j \Longrightarrow T i, j \Longrightarrow i n t i, j$

1. Known the type is integer
2. Save the name "i"
3. Create a name list
4. Save the name "j"
5. Append the new name
6. Symbol table operations


## YACC coding: expressions and assignments

- Usage of variables:
- Assign_S $\rightarrow$ L_var $:=$ Expression;
$\triangleright\{\$ 1 . a d d r$ is the address of the variable to be stored;
$\triangleright$ \$3.value is the value of the expression;
$\triangleright$ generate code for storing \$3.value into \$1.addr;\}
- L_var $\rightarrow i d$
$\triangleright$ \{ use lookup to check whether yytext is already declared;
$\triangleright \$ \$ . a d d r=$ storage address; $\}$
- Expression $\rightarrow$ Expression + Expression

```
\(\triangleright \quad\{\$ \$\). value \(=\$ 1\). value \(+\$ 3\). value \(;\}\)
    | Expression - Expression
    \(\triangleright \quad\{\$ \$\). value \(=\$ 1\). value \(-\$ 3\). value; \(\}\)
        | id
    \(\triangleright \quad\) \{ use lookup to check whether yytext is
    \(\triangleright \quad\) already declared;
    \(\triangleright \quad\) if no, error ...
    \(\triangleright \quad\) if not, \(\$ \$\).value \(=\) the value of the variable yytext \(\}\)
```

