

Code Generation

ASU Textbook Chapter 8

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Code generation

- Compiler usually generates intermediate codes:
 - Ease of re-targeting different machines.
 - Perform machine-independent code optimization.
- Intermediate language:
 - Postfix languages: stack machine language.
 - Syntax tree: graphical representation.
 - Three-address code: a statement containing at most 3 addresses or operands.
 - ▷ A sequence of statements of the general form: $x := y \text{ op } z.$
 - ▷ A linearized representation of a binary syntax tree.
 - ▷ Consists of at most 3 addresses for each statement.
 - ▷ x is the result, and y and z are operands.
 - ▷ “op” is an operator.

Types of three-address statements

■ Assignment

- **Binary:** $x := y \text{ op } z$
- **Unary:** $x := \text{op } y$
- “op” can be any reasonable arithmetic or logical operator.

■ Copy

- **Simple:** $x := y$
- **Indexed:** $x := y[i]$ or $x[i] := y$
- **Address and pointer manipulation:**
 - ▷ $x := \&y$
 - ▷ $x := *y$
 - ▷ $*x := y$

■ Jump

- **Unconditional:** `goto L`
- **Conditional:** `if x relop y goto L1` [`else goto L2`, where `relop` is $<, =, >, \geq, \leq$ or \neq .]

■ Procedure call

- **Call procedure** $P(X_1, X_2, \dots, X_n)$

```
PARAM X1
PARAM X2
...
PARAM Xn
CALL P,n
```

Implementation of three-address codes (1/2)

- Three different implementations depending on how much indirection is presented in the representation:
 - Quadruples.
 - Triples.
 - Indirect triples.

■ Quadruples

	op	arg1	arg2	result
(0)	uminus	c		t_1
(1)	*	b	t_1	t_2
(2)	uminus	c		t_3
(3)	*	b	t_3	t_4
(4)	+	t_2	t_4	t_5
(5)	$\mathbf{:=}$	t_5		a

Implementation of three-address codes (2/2)

	op	arg1	arg2
(0)	uminus	<i>c</i>	
(1)	*	<i>b</i>	(0)
(2)	uminus	<i>c</i>	
(3)	*	<i>b</i>	(2)
(4)	+	(1)	(3)
(5)	assign	<i>a</i>	(4)

■ Triples

	statement
(0)	(14)
(1)	(15)
(2)	(16)
(3)	(17)
(4)	(18)
(5)	(19)

■ Indirect triples

	op	arg1	arg2
(14)	uminus	<i>c</i>	
(15)	*	<i>b</i>	(14)
(16)	uminus	<i>c</i>	
(17)	*	<i>b</i>	(16)
(18)	+	(15)	(17)
(19)	assign	<i>a</i>	(18)

- Statements can be reused.

Declarations

- **Global data:** generate address in the static data area.
- **Local data in a procedure or block:**
 - Create a symbol table entry with
 - ▷ *data type;*
 - ▷ *relative address within the A.R. (offset).*
 - Depend on the target machine, determine data alignment.
 - ▷ *For example: if a word has 2 bytes and an integer variable is represented with a word, then we may require all integers to start on even addresses.*

Declarations — examples

- $P \rightarrow MD$
 - $M \rightarrow \epsilon$
 $\{\text{offset} := 0\}$
- $D \rightarrow D; D$
- $D \rightarrow id : T$
 - $\{\text{enter_symbol_table(id.name, T.type, offset)};$
 - $\text{offset} := \text{offset} + T.width\}$
- $T \rightarrow \text{integer}$
 - $\{T.type := \text{integer};$
 - $T.width := 4\}$
- $T \rightarrow \text{real}$
 - $\{T.type := \text{real};$
 - $T.width := 8\}$
- $T \rightarrow *T_1$
 - $\{T.type := \text{pointer}(T_1.type);$
 - $T.width := 4\}$
- $T \rightarrow \text{array } [num] \text{ of } T_1$
 - $\{T.type := \text{array(num.val, } T_1.type\});$
 - $T.width := num.val * T_1.width;\}$

Symbol table operations

■ Treat symbol tables as objects:

- **mktble(previous):**
 - ▷ make a new table, offset in the new table is 0,
 - ▷ link it to the previous symbol table, and
 - ▷ make the new table the current working table.
- **deltble(current):** return the previous symbol table.
- **enter(table,name,type,offset):** insert a new identifier.
- **addwidth(table,width):** increase the size of the current A.R. by width.
- **enterproc(table, name,newtable):** create a procedure with its symbol table being “new table.”

■ Keeping track of scope information.

- When a nested procedure is seen, processing of declarations in the enclosing procedure is temporarily suspended.
- $P \rightarrow D$
- $D \rightarrow D; D \mid id : T \mid M_1 \ proc \ id; D; D \ M_2$
- $M_1 \rightarrow \epsilon \{ \text{ start a new symbol table here } \}$
 - ▷ $\text{table} = \text{mktble}(table)$
- $M_2 \rightarrow \epsilon \{ \text{ return to old symbol table } \}$
 - ▷ $\text{table} = \text{deltble}(table)$

Examples for symbol table operations

- $P \rightarrow M_1 D$
 - `{addwidth(top(tblptr),top(offset));`
 - `pop(tblptr); pop(offset);}`
- $M_1 \rightarrow \epsilon$
 - `{t := mktable(null);`
 - `push(t,tblptr); push(0,offset); }`
- $D \rightarrow D_1; D_2$
- $D \rightarrow proc\ id; M_2 D_1; M_3 S$
 - `{t := top(tblptr); /* save symbol table */ addwidth(t,top(offset));`
 - **generate code for de-allocating A.R.**
 - `pop(tblptr); pop(offset); enterproc(top(tblptr),id.name,t);}`
- $D \rightarrow id : T$
 - `{enter(top(tblptr),id.name,T.type,top(offset));`
 - `top(offset) := top(offset) + T.width; }`
- $M_2 \rightarrow \epsilon /* \text{enter a new scope} */$
 - `{t := mktable(top(tblptr)); push(t,tblptr); push(0,offset); }`
- $M_3 \rightarrow \epsilon$
 - **generate code for allocating A.R. }**

Handling names in records

- A record declaration is treated as entering a block in terms of “offset” is concerned.

- Example:

- $T \rightarrow \text{record Marker } D \text{ end}$
 - ▷ $\{ T.\text{type} := \text{record}(\text{top}(\text{tblptr}));$
 - ▷ $T.\text{width} := \text{top}(\text{offset});$
 - ▷ $\text{pop}(\text{tblptr});$
 - ▷ $\text{pop}(\text{offset}); \}$
- Marker $\rightarrow \epsilon$
 - ▷ $\{ t := \text{mkttable}(\text{null});$
 - ▷ $\text{push}(t.\text{tblptr});$
 - ▷ $\text{push}(0,\text{offset}); \}$

Code generation routines

- **Error reporting routine:**
 - `error(error message or error number);`
- **Code generation:**
 - `emit([address #1], [assignment], [address #2], operator, address #3);`
 - Depend on [address $#i$], generate different codes.
 - ▷ Local temp space: $FP + \text{tmp_start} + \text{offset}$.
 - ▷ Parameters: $FP + \text{param_start} + \text{offset}$.
 - ▷ Global variable: $GDATA + \text{offset}$.
 - ▷ Registers, ...
- **Temp space anagement:**
 - `newtemp()`: allocate a temp space.
 - ▷ Using a bit arrary to indicate the usage of temp space.
 - ▷ Usually use a circular array data structure.
 - `freetemp(t)`: free temp space t .
- **Label anagement:**
 - `newlabel()`: generate a label that's never used.
- **Symbol table lookup:**
 - `lookup(name, t)`: check whether name is declared in symbol table t , return the entry if it is in t .

Assignment statements

- $S \rightarrow id := E$
 - { p := **lookup(id.name,symbol_table)**;
 - if p is not null then emit(p, “:=”,E.place); else error(“var undefined”,id.name); }
- $E \rightarrow E_1 + E_2$
 - { E.place := **newtemp()**; freetemp($E_1.place$);freetemp($E_2.place$);
 - emit(E.place, “:=”, $E_1.place$,“+”, $E_2.place$) }
- $E \rightarrow E_1 * E_2$
 - { E.place := **newtemp()**;freetemp($E_1.place$);freetemp($E_2.place$);
 - emit(E.place, “:=”, $E_1.place$,“*”, $E_2.place$) }
- $E \rightarrow -E_1$
 - { E.place := **newtemp()**;freetemp($E_1.place$);
 - emit(E.place, “:=”, “uminus”, $E_1.place$) }
- $E \rightarrow (E_1)$
 - { E.place := $E_1.place$ }
- $E \rightarrow id$
 - { p := **lookup(id.name,symbol_table)**;
 - if p ≠ null then E.place := p else error(“var undefined”,id.name) }

Addressing array elements (1/2)

- **1-D array:** $A[i]$. Assume
 - lower bound in address = low
 - element data width = w
 - starting address = $base$
- **Address for $A[i]$**
 - $= base + (i - low) * w$
 - $= i * w + (base - low * w)$
 - **The value of $(base - low * w)$ can be computed at compile time.**
- **2-D array $A[i_1, i_2]$.**
 - **Row major:**
 - ▷ $A[1, 1], A[1, 2], A[1, 3], A[2, 1], A[2, 2], \dots$
 - ▷ **Advantage:** $A[i,j] = A[i][j]$.
 - ▷ $A[1]$ means the first row.
 - **Column major:**
 - ▷ $A[1, 1], A[2, 1], A[1, 2], A[2, 2], A[1, 3], \dots$

Addressing array elements (2/2)

■ Address for $A[i_1, i_2]$

- $= base + ((i_1 - low_1) * n_2 + (i_2 - low_2)) * w$
- $= (i_1 * n_2 + i_2) * w + (base - low_1 * n_2 * w - low_2 * w)$
- **n_2 is the number of elements in a row.**
- **low_2 is the lower bound of the second coordinate.**
- The value $(base - low_1 * n_2 * w - low_2 * w)$ can be computed at compiler time.

■ Similar method for multi-dimensional arrays. Address for $A[i_1, i_2, \dots, i_k]$

- $= (i_1 * \prod_{i=2}^k n_i * i_2 * \prod_{i=3}^k n_i + \dots + i_k) * w + (base - low_1 * \prod_{i=2}^k n_i * w - \dots - low_k * w)$
- **n_i is the number of elements in the i th coordinate.**
- **low_i is the lower of the i th coordinate.**
- The values $\prod_{i=j}^k n_i$, $2 \leq j \leq k-1$, and $(base - low_1 * \prod_{i=2}^k n_i * w - \dots - low_k * w)$ can be computed at compile time.

Code generation for arrays

- $L \rightarrow Elist]$
 - {**L.place** := newtemp();}
 - **L.offset** := newtemp();
 - emit(**L.offset**, “:=”, **Elist.elesize**, “*”, **Elist.place**); }
- $L \rightarrow id$
 - {**L.place** := **id.place**; **L.offset** := null}
- $Elist \rightarrow Elist_1, E$
 - { **t** := newtemp(); }
 - **m** := **Elist₁.ndim** + 1;
 - emit(**t**, “:=”, **Elist₁.place**, “*”, limit(**Elist₁.array**, **m**));
 - emit(**t**, “:=”, **t**, “+”, **E.place**);
 - **Elist.array** := **Elist₁.array**;
 - **Elist.place** := **t**;
 - **EList.ndim** := **m**; }
- $Elist \rightarrow id [E$
 - {**Elist.place** := **E.place**;
 - **Elist.ndim** := 1; **p** := lookup(**id.name**, symbol_table);
 - **Elist.elesize** := **p.size**;
 - **EList.array** := **p.place**}

Type conversions

- $E \rightarrow E_1 + E_2$
 - if $E_1.type == E_2.type$ then
 - ▷ generate no conversion code
 - ▷ $E.type = E_1.type$
 - else
 - ▷ $E.type = float$
 - ▷ $temp_1 = newtemp();$
 - ▷ if $E_1.type == integer$ then
`emit(temp1, “:=”, int-to-float, E1.place);`
`emit(E, “:=”, temp1, “+”, E2.place);`
 - ▷ else
`emit(temp1, “:=”, int-to-float, E2.place);`
`emit(E, “:=”, temp1, “+”, E1.place);`
 - ▷ `freetemp(temp1);`

Boolean expressions

■ Two choices for implementation:

- Encode true and false values numerically, evaluate analogously to an arithmetic expression
 - ▷ 1: *true*; 0: *false*.
 - ▷ $\neq 0$: *true*; 0: *false*.
- Flow of control: representing the value of a boolean expression by a position reached in a program.

■ Short-circuit code.

- Generate the code to evaluate a boolean expression in such a way that it is not necessary for the code to evaluate the entire expression.
- if a_1 or a_2
 - ▷ a_1 is *true*, then a_2 is not evaluated.
- Similarly for “and”.
- Side effects in the short-circuited code are not carried out.

Numerical representation

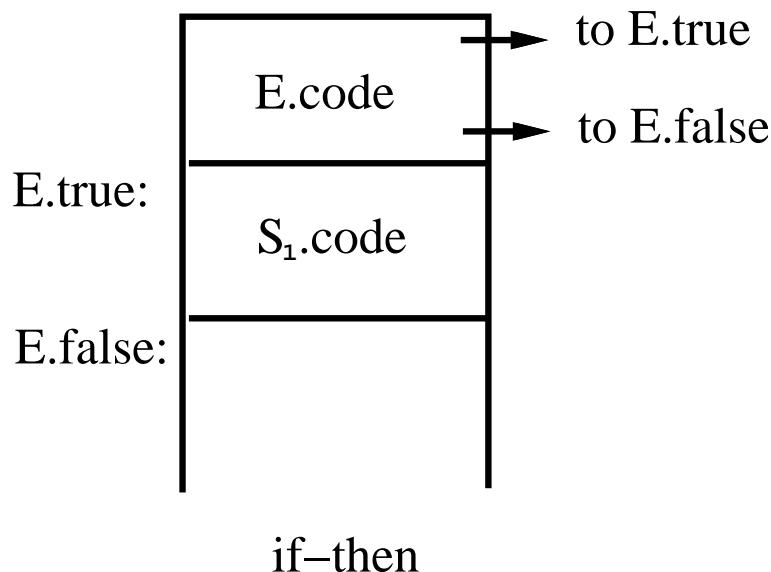
- $E \rightarrow id_1 \text{ relop } id_2$
 - {E.place := newtemp();
 - emit("if", id_1 .place,relop.op, id_2 .place,"goto",nextstat+3);
 - emit(E.place,":=", "0");
 - emit("goto",nextstat+2);
 - emit(E.place,":=", "1");}

- Example for translating ($a < b$ or $c < d$ and $e < f$):

100: if a < b goto 103	107: t2 := 1
101: t1 := 0	108: if e < f goto 111
102: goto 104	109: t3 := 0
103: t1 := 1 /* true */	110: goto 112
104: if c < d goto 107	111: t3 := 1
105: t2 := 0 /* false */	112: t4 := t2 and t3
106: goto 108	113: t3 := t1 or t4

Flow of control representation

- $E \rightarrow id_1 \text{ relop } id_2$
 - { E.true := newlabel();
 - E.false := newlabel();
 - emit("if", id_1 , relop, id_2 , "goto", E.true, "else", "goto", E.false);
 - emit(E.true, ":"); }
- $S \rightarrow \text{if } E \text{ then } S_1$
 - {emit(E.false, ":"); }



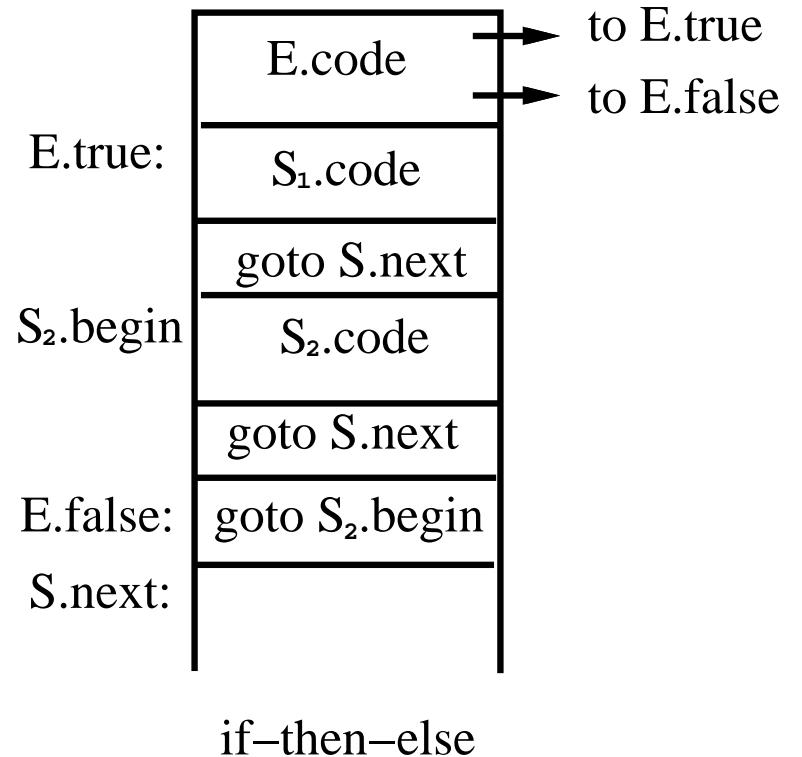
If-then-else

- $E \rightarrow id_1 \text{ relop } id_2$
 - { **E.true := newlabel();**
 - **E.false := newlabel();**
 - **emit("if", id₁, relop, id₂, "goto", E.true, "else", "goto", E.false);**
 - **emit(E.true, ":");}**

- $S \rightarrow \text{if } E \text{ then } S_1 M_3 \text{ else } M_4 S_2$
 - { **S.next = M₃.next;**
 - **emit("goto", S.next);**
 - **emit(E.false, ":");**
 - **emit("goto", M₄.label);**
 - **emit(S.next, ":");}**

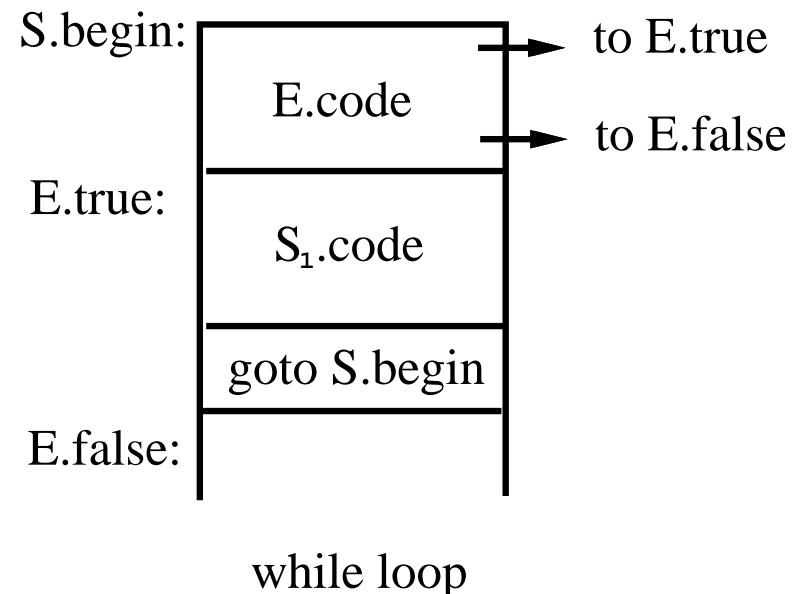
- $M_3 \rightarrow \epsilon$
 - { **M₃.next := newlabel();**
 - **emit("goto", M₃.next);}**

- $M_4 \rightarrow \epsilon$
 - { **M₄.label := newlabel();**
 - **emit(M₄.label, ":");}**



While loop

- $E \rightarrow id_1 \text{ relop } id_2$
 - { E.true := newlabel();
 - E.false := newlabel();
 - emit("if", id_1 , relop, id_2 , "goto", E.true, "else", "goto", E.false);
 - emit(E.true, ":");}
- $S \rightarrow \text{while } M_5 \text{ } E \text{ do } S_1$
 - { S.begin = $M_5.\text{begin}$;
 - emit("goto", S.begin);
 - emit(E.false, ":");}
- $M_5 \rightarrow \epsilon$
 - { $M_5.\text{begin} := \text{newlabel}()$;
 - emit($M_5.\text{begin}$, ":");}



Case/Switch statement

■ C-like syntax:

- **switch** *expr*{
- **case** *V₁*: *S₁*
- ...
- **case** *V_k*: *S_k*
- **default**: *S_d*
- }

■ Translation sequence:

- Evaluate the expression.
- Find which value in the list matches the value of the expression, match default only if there is no match,
- Execute the statement associated with the matched value.

■ How to find the matched value:

- Sequential test.
- Look-up table.
- Hash table.
- Backpatching.

Implementation of case statements (1/2)

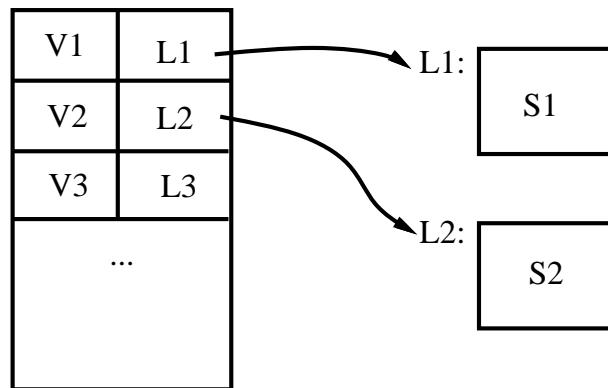
- Two different translation schemes for sequential test.

```
code to evaluate E into t  
goto test  
L1: code for S1  
    goto next  
    ...  
Lk: code for Sk  
    goto next  
Ld: code for Sd  
    goto next  
test:  
    if t = V1 goto L1  
    ...  
    if t = Vk goto Lk  
    goto Ld  
next:  
    ...  
Can easily be used into a lookup table!
```

```
code to evaluate E into t  
if t <> V1 goto L1  
code for S1  
goto next  
L1: if t <> V2 goto L2  
code for S2  
goto next  
...  
L(k-1): if t <> Vk goto Lk  
code for Sk  
goto next  
Lk: code for Sd  
next:
```

Implementation of case statements (2/2)

- Use a table and a loop to find the address to jump.



- Hash table: when there are more than 10 entries, use a hash table to find the correct table entry.
- Backpatching:
 - Generate a series of branching statements with the targets of the jumps temporarily left unspecified.
 - To-be-determined label table: each entry contains a list of places that need to be backpatched.
 - Can also be used to implement labels and goto's.

Procedure calls

- Space must be allocated for the A.R. of the called procedure.
- Arguments are evaluated and made available to the called procedure in a known place.
- Save current machine status.
- When a procedure returns
 - place return value in a known place
 - restore A.R.

Example for procedure call

■ Example:

- $S \rightarrow \text{call } id(Elist)$
 - ▷ {for each item p on the queue $Elist.\text{queue}$ do
 - ▷ emit("PARAM", q);
 - ▷ emit("call", $id.place$);}
- $Elist \rightarrow Elist, E$
 - ▷ {append $E.place$ to the end of $Elist.\text{queue}$ }
- $Elist \rightarrow E$
 - ▷ {initialize $Elist.\text{queue}$ to contain only $E.place$ }

■ Idea:

- Use a queue to hold parameters, then generate codes for parameters.
- May have code like:
 - ▷ code for E_1 , store in t_1
 - ▷ ...
 - ▷ code for E_k , store in t_k
 - ▷ PARAM t_1
 - ▷ ...
 - ▷ PARAM t_k
 - ▷ call p